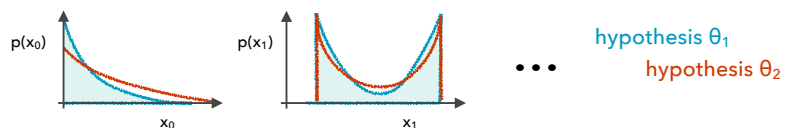


1. Motivation

- Particle physics datasets have **many correlated observables**
- Modified laws of physics expected to **deform these distributions**



- Discovery potential** is maximised when we can model all observables $x = \{x_0, x_1, \dots\}$ simultaneously, and capture the dependence on parameters of nature θ
- Achieved with **neural density models** $p(x|\theta)$
- This work:** present novel modelling method which captures two key features:
 - existence of abrupt physical boundaries (x_1 in above)
 - parameterised deformations of spectra
- Demonstrate on particle physics example
- Can be used to model data with these features in any domain

3. Experimental setup

- Auto-regressive: latent observables modelled as conditional chain

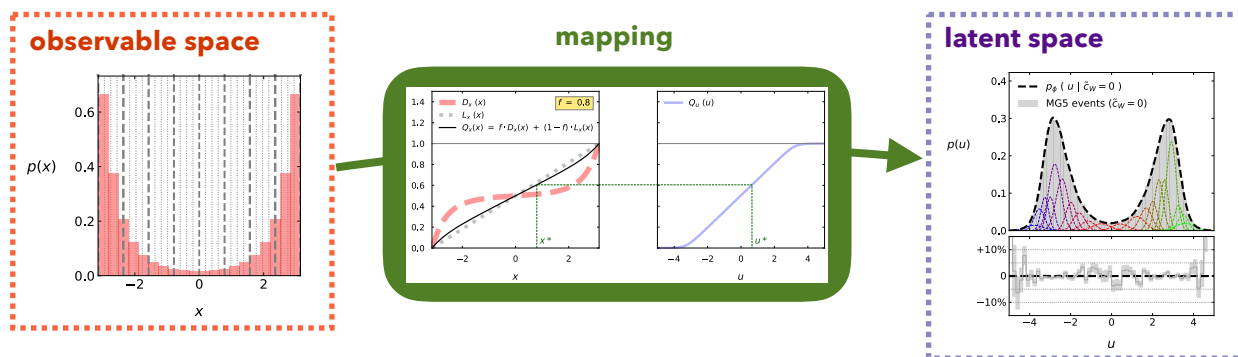
$$p(u|\theta) = p(u_0|\theta) \times p(u_1|u_0, \theta) \times p(u_2|u_1, u_0, \theta) \times \dots$$

- Gaussian amplitudes/means/widths modelled using a **neural net** which learns conditional dependencies

$$p(u_n|u_{<n}, \theta) = \sum_g f_g(u_{<n}, \theta) \cdot \mathcal{N}(u_n; \mu_g(u_{<n}, \theta), \log \sigma_g(u_{<n}, \theta))$$

- Particle physics example: electroweak production of Z + 2 jets at LHC; four observables $\{m_{jj}, m_{ll}, \Delta\phi(j,j), \Delta y(j,j)\}$ and one parameter of interest $\{\tilde{c}_W\}$ from SMEFT describing modified physics

2. Explanation of method



- Data c.d.f. added with fraction f to linear function, creating a response curve $Q_x(x)$
- Response curve $Q_u(u)$ over a latent space smoothly approaches 0 and 1
- Mapping transforms data into a latent distribution (i) with **smooth edges** and (ii) well described by a **Gaussian mixture model with multiple narrow modes**
- Parameter variations deform spectra by modifying the amplitudes, means and widths of the Gaussian modes local to the deformation, leading to a **highly expressive model**

4. Results

- Test by sampling from the model and comparing with the ground truth

