TOWARDS AN INTERPRETABLE DATA-DRIVEN TRIGGER SYSTEM FOR HIGH-THROUGHPUT PHYSICS FACILITIES Chinmaya Mahesh[†] David W. Miller* Yuxin Chen* Kristin Dona* [†]University of Illinois Urbana-Champaign *University of Chicago

Motivation: LHC Trigger System



- Data filtering algorithms (trigger algorithms) targeted at discovery sciences must operate at the level of 1 part in 10^5 due to resource constraints.
- Design relies heavily on prior knowledge of the feature space being probed.
- *redundant* labeling schemes and *cost-ineffective* algorithm execution.

Data Driven, Explainable Triggers

• Refine the trigger and data filtering algorithms at future physics facilities.

• Each trigger algorithm incurs a latency at runtime. Thus, finding the *most efficient* set of trigger algorithms *at runtime* is crucial for a real-time trigger system.



Figure 1: An example cost-effective explanation of an event.

Example of Non-interpretable LHC Trigger Recommendation

Only applying the *b-jet trigger* to an event such as $H \rightarrow bb$, rather than also applying a threshold di-jet trigger.

With an interpretible algorithm we hope to gain information that this decision was made because the most important physics feature for this event is the *b*-jet tagging value.

Local Interpretable Explanations (LIME)

- Uses local interpretable surrogate models to explain individual predictions of black box models.
- Does *not* take into account *cost* of each feature.

Problem Statement

- Our work extends LIME and can be viewed as a sparsity-based locally interpretable model, where we seek a *minimal-cost explanation* for the LHC trigger outputs.
- Given a dataset $X \in \mathbb{R}^{n \times p}$ (*n collision events*; each event is described by *p* numerical features), a set of labels T (known as triggers), and an outcome matrix $y = \{0, 1\}^{n \times |T|}$ (i.e. triggers each event satisfies).
- cost function $c(f_i)$: the cost of using feature f_i to predict the outcome of an event.
- Goal: Identify the most cost-efficient subset of features that enables us to maximize coverage of X in the trained model while using selected features to make predictions.

Our Approach: Cost-effective (CE) LIME

LIME with Elastic Net

- **Recap**: LIME trains a sparse model with a *dataset of perturbations of x*. The trained weight vector of this model describes the importance of each feature.
- We adopt *elastic net* as a general formulation (with the LASSO and ridge regressions being special cases), which trades off model interpretability (sparsity) and accuracy:

$$\hat{\beta} = \underset{\beta}{\operatorname{arg\,min}} \left(|y - X\beta|^2 + (1 - \alpha)\lambda \sum_{i=1}^p |\beta_i| + \alpha\lambda \sum_{i=1}^p |\beta_i|^2 \right)$$

Cost Effective Elastic Net

To obtain a $\hat{\beta}$ which is both sparse and cost efficient, we propose adding a coefficient of $c(f_i)$, which is the cost of feature i, to each respective term $|\beta_i|$ and $|\beta_i|^2$ in the elastic net penalty:

$$\hat{\beta} = \underset{\beta}{\operatorname{arg\,min}} \left(|y - X\beta|^2 + (1 - \alpha)\lambda \sum_{i=1}^p |\beta_i| \cdot c(f_i) + \alpha\lambda \sum_{i=1}^p |\beta_i|^2 \cdot c(f_i) \right)$$

Submodular Pick

- A model-wide, *global explanation* similar to the event specific explanation is desired.
- LIME with Submodular Pick (SP-LIME) creates an importance vector I, which gives us a total ordering of all features F that enables us to select an optimal subset of F.
- We call this method of using a modified SP-LIME with a cost-effective elastic net *CE-LIME*.







Experimental Setup

- Toy dataset
 - randomly generated by **make_classification** of scikit-learn.
 - cost function c created from a uniform distribution in the interval [0, 10].
- CMS Open Data
 - publicly available; cf. CERN Open Data Portal, 2017.
 - -9 different triggers with randomized cost of features in every trial, with the costs being uniformly distributed in [0, 10].
 - the figure shows the fractional overlap between features which share trigger labels and trigger label categories. The large fractional overlap emphasises the potential for these algorithms to be optimized.





* This work was supported by the Center for Data and Computing at the University of Chicago via a Discovery Grant.

